Section 2.1: Review of Lines

- Slope of a line between two points, $m = \frac{y_2 y_1}{x_2 x_1}$
- Equations of a Line,
 - Point-Slope Form: $y y_1 = m(x x_1)$
 - Slope-Intercept Form: y = mx + b
 - Standard Form: Ax + BY = C
 - Vertical Line: x = a
 - Horizontal Line: y = b
- Intercepts of a Line
 - x-intercept: (x, 0)
 - y-intercept: (0, y)
- Interpreting Change, $m = \frac{\Delta y}{\Delta x}$
- **Pr** 1. Write the equation of the line given the slope which passes through the given point in the stated form. (a) $m = \frac{2}{7}$ and (-9, 11), in point-slope form

(b)
$$m = -\frac{5}{2}$$
 and $(4, -7)$, in slope-intercept form

(c)
$$m = \frac{6}{7}$$
 and $\left(\frac{7}{2}, 0\right)$, in standard form

(d) m = 0 and (17, 20), in standard form

Pr 2. Write the equation of the line that passes through the given pair of points, in the stated form.
(a) (2,-5) and (-9,11) in point-slope form

(b) (7, 10) and (7, -12) in slope-intercept form

(c)
$$\left(\frac{2}{5}, \frac{2}{3}\right)$$
 and $\left(\frac{2}{5}, -\frac{7}{11}\right)$ in standard form

(d) intersects the y-axis at y = 7 and the x-axis at x = -6 in standard form

Pr 3. Determine the slope, and the x- and y-intercepts without graphing. Write the coordinates of each intercept. Then use the points to graph each line.
(a) 5x - 6y = 30

(b)
$$\frac{2}{3}y = -\frac{2}{3}x + 12$$







(d) y = 7

Pr 4. (a) Given the line 3x - 2y = -8, if x increases by 3 units, what is the corresponding change in y?

(b) Given the line $y = \frac{1}{2}x + 4$, if x decreases by 7 units, what is the corresponding change in y?

(c) Given the line y = 3(x+2) - 5, If y decreases by 9 units, what is the corresponding change in x?

Section 2.2: Modeling with Linear Functions

- Linear Depreciation, V(t) = mt + b
- Cost, variable cost + fixed costs C(x) = mx + F
- Revenue, price per item times quantity sold R(x) = px
- Profit, revenue minus cost P(x) = R(x) C(x)
- Demand, D(x) = p(x) = mx + b
- Supply, S(x) = p(x) = mx + b
- Pr 1. A piece of machinery is purchased. After 15 months, it has a value of of \$225,000 and that same machinery has a value of \$165,000 after 5 years.
 - (a) Assuming the value of the machinery depreciates at a constant rate each year, determine the rate of depreciation.

(b) Write the linear depreciation model for the value of the machinery, V, after t years.

(c) What is the initial value of the machinery?

(d) If the machinery reaches scrap value in 15 years, what is the scrap value of the machinery?

- Pr 2. Ted runs a food truck that sells gyros. The cost of maintaining the food truck is \$255 per week. The stand makes a profit of \$145 when 50 gyros are sold in a week. If only 20 gyros are sold, Ted knows the total cost for that week is \$295.
 - (a) Write the cost function for producing x gyros at Ted's food truck.

(b) Write the revenue function for the sale of x gyros at Ted's food truck.

(c) Write the profit function for producing and selling x gyros.

- Pr 3. Mimtando is a video game company that decides to make a new console, and GameStomp decides to carry it. Mimtando will supply 300 thousand consoles to GameStomp if the sales price of the console is \$200. If the sales price increases by \$50, then Mimtando will supply 25 thousand more consoles. Consumers will not buy the console at all if the price is \$400, but will buy 600 thousand consoles if the price is \$250.
 - (a) Write the demand function for consumers demanding x thousand consoles at a price of p dollars.

(b) Write the supply function for Mimtando to provide x thousand consoles when the sales price of the console is p dollars.

Pr 4. Which of the following lines graphed below could be the graphs of a supply, demand, cost, revenue, or profit function? Explain your answer.



- (a) Lines that could be graphs of Cost functions:
- (b) Lines that could be graphs of Revenue functions:
- (c) Lines that could be graphs of Profit functions:
- (d) Lines that could be graphs of demand functions:
- (e) Lines that could be graphs of supply functions: